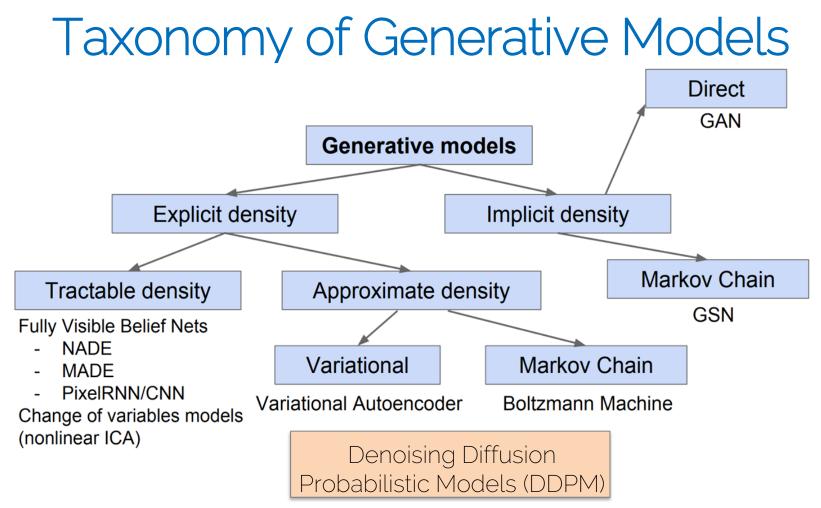
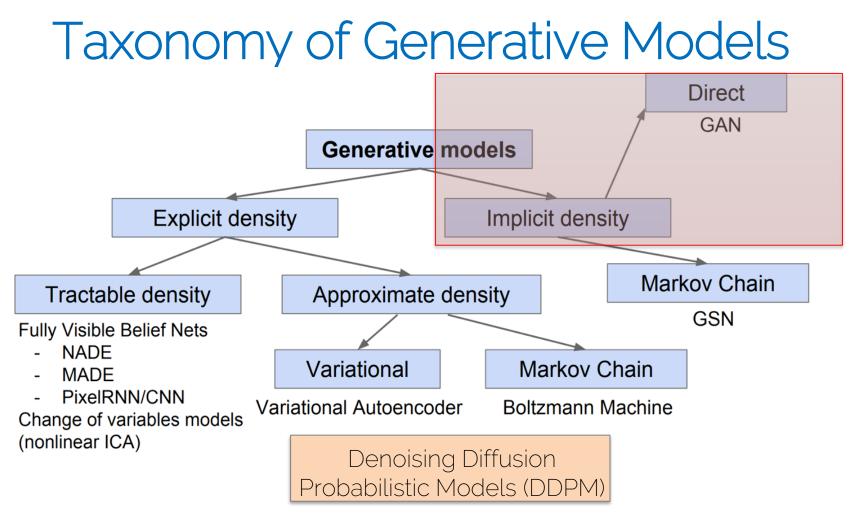


Generative Neural Networks

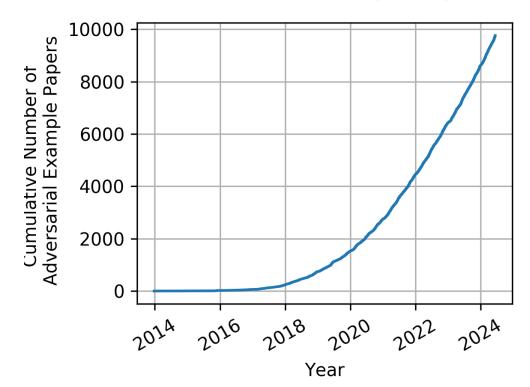


Goodfellow, Tutorial on Generative Adversarial Networks, 2017



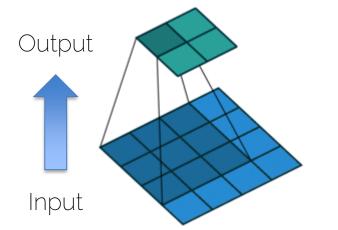


List of All (arXiv) Adversarial Example Papers

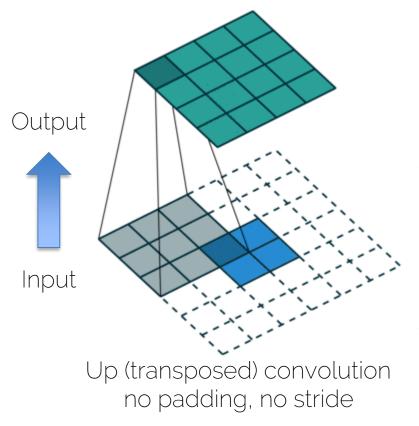


https://nicholas.carlini.com/writing/2019/all-adversarial-example-papers.html

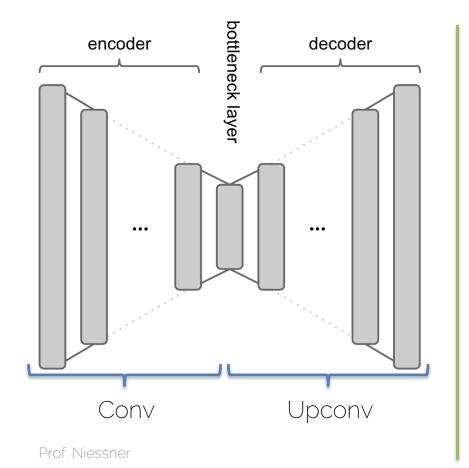
Convolution & Up Convolution

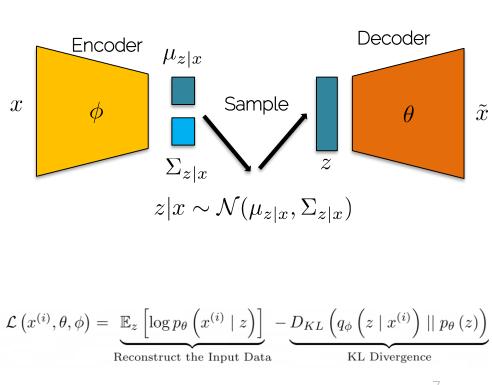


Convolution no padding, no stride

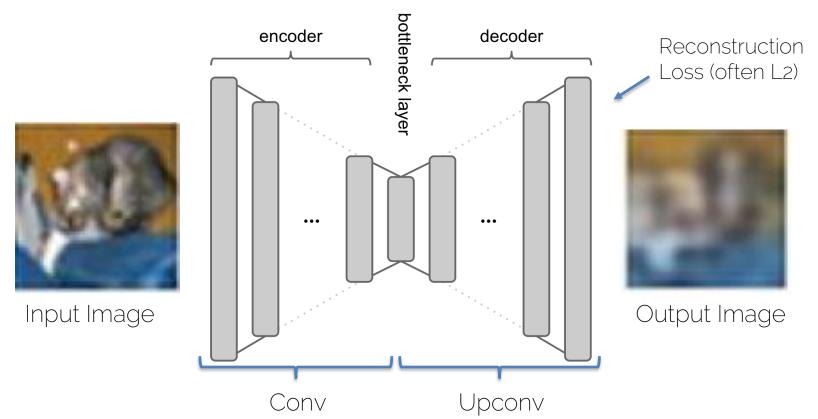


Autoencoders & Variational Autoencoders

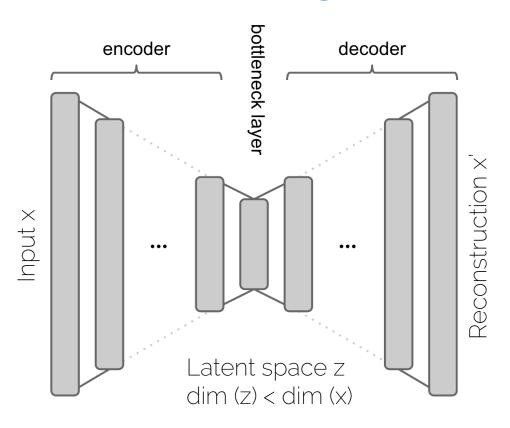




Autoencoder: Reconstruction



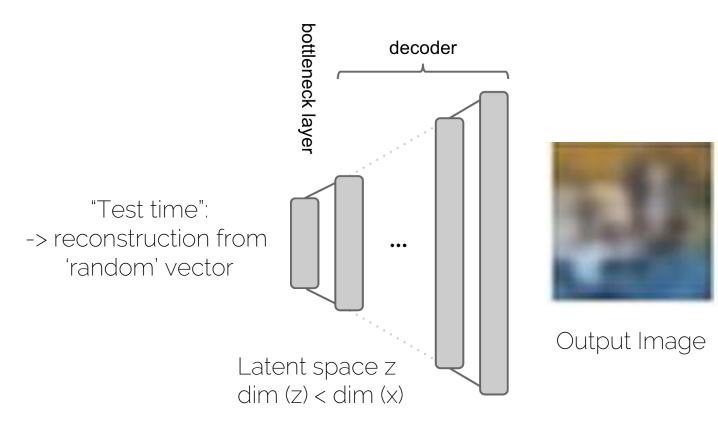
Training Autoencoders

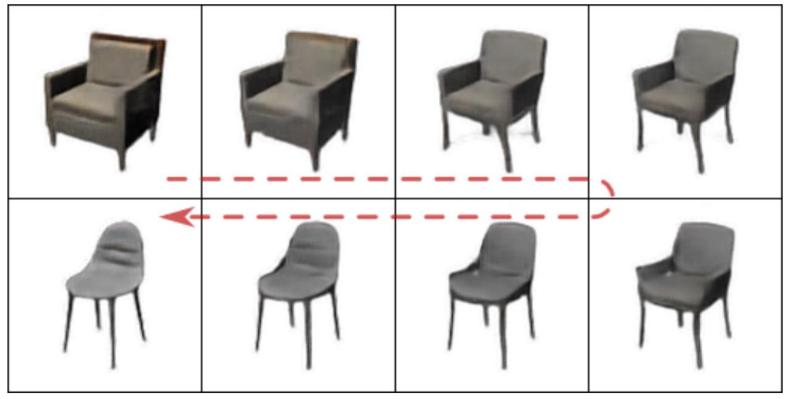




Reconstructed images







Interpolation between two chair models

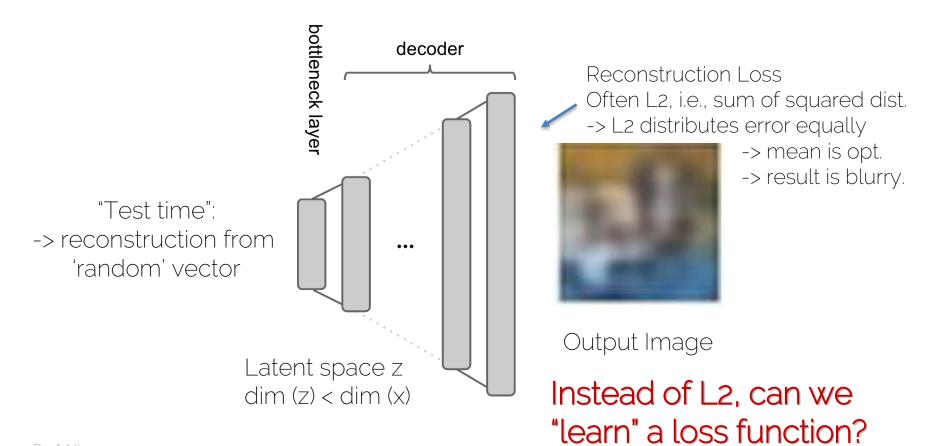
Prof. Niessner

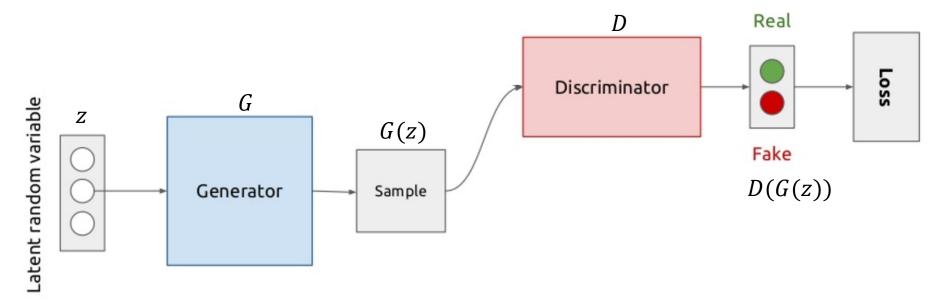
[Dosovitsky et al. 14] Learning to Generate1Chairs

Morphing between chair models



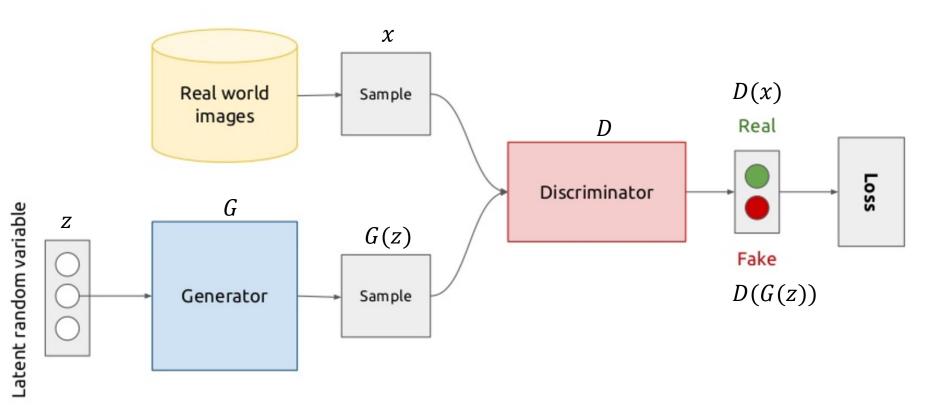
[Dosovitsky et al. 14] Learning to Generate Chairs





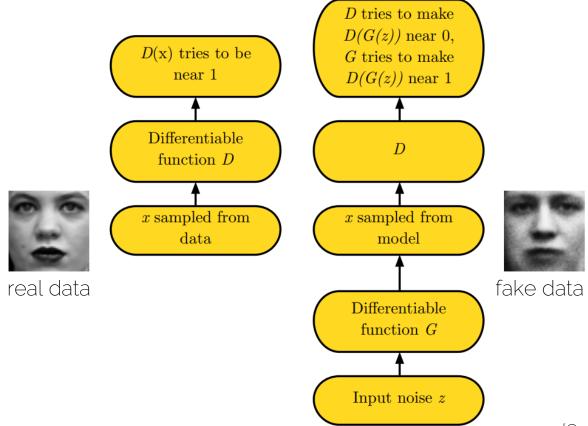
Prof. Niessner

[Goodfellow et al. 14] GANs (slide McGuinness)



Prof. Niessner

[Goodfellow et al. 14] GANs (slide McGuingess)



[Goodfellow et al. 14/16] GANs

Prof. Niessner

GANs: Loss Functions

Discriminator loss

$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right)$$
Generator loss

$$J^{(G)} = -J^{(D)}$$

- Minimax Game:
 - G minimizes probability that D is correct
 - Equilibrium is saddle point of discriminator loss

-> D provides supervision (i.e., gradients) for G

GANs: Loss Functions

Discriminator loss
$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right)$$

Generator loss

$$J^{(G)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log D\left(G(\boldsymbol{z})\right)$$

- Heuristic Method (often used in practice)
 - G maximizes the log-probability of D being mistaken
 - G can still learn even when D rejects all generator samples

Alternating Gradient Updates

• Step 1: Fix G, and perform gradient step to

$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right)$$

• Step 2: Fix D, and perform gradient step to

$$J^{(G)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log D\left(G(\boldsymbol{z})\right)$$

Vanilla GAN

for number of training iterations do

for k steps do

- Sample minibatch of m noise samples $\{z^{(1)}, \ldots, z^{(m)}\}$ from noise prior $p_g(z)$.
- Sample minibatch of m examples $\{x^{(1)}, \ldots, x^{(m)}\}$ from data generating distribution $p_{\text{data}}(x)$.
- Update the discriminator by ascending its stochastic gradient:

$$abla_{ heta_d} rac{1}{m} \sum_{i=1}^m \left[\log D\left(oldsymbol{x}^{(i)}
ight) + \log \left(1 - D\left(G\left(oldsymbol{z}^{(i)}
ight)
ight)
ight)
ight].$$

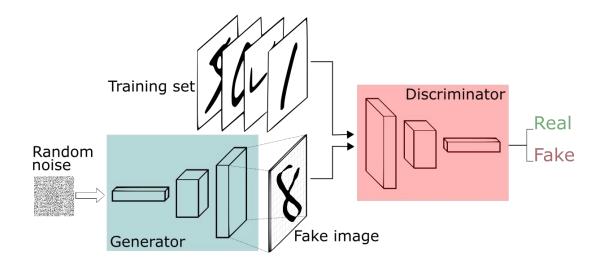
end for

- Sample minibatch of m noise samples $\{z^{(1)}, \ldots, z^{(m)}\}$ from noise prior $p_g(z)$.
- Update the generator by descending its stochastic gradient:

$$\nabla_{\theta_g} \frac{1}{m} \sum_{i=1}^m \log\left(1 - D\left(G\left(\boldsymbol{z}^{(i)}\right)\right)\right).$$

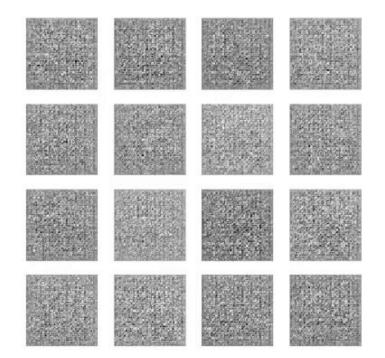
end for

Putting it all Together



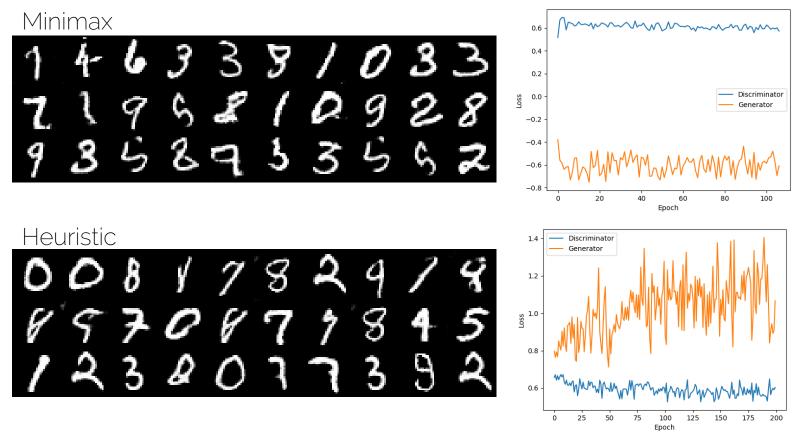
 $\min_{G} \max_{D} V(D,G) = \mathbb{E}_{\boldsymbol{x} \sim p_{\mathsf{data}}(\boldsymbol{x})} [\log D(\boldsymbol{x})] + \mathbb{E}_{\boldsymbol{z} \sim p_{\boldsymbol{z}}(\boldsymbol{z})} [\log(1 - D(G(\boldsymbol{z})))].$

Training a GAN



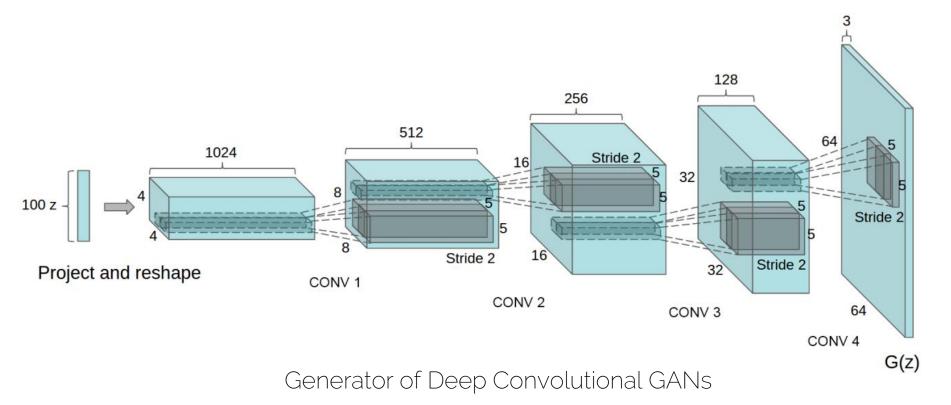
https://medium.com/ai-society/gans-from-scratch-1-a-deep-introduction-with-code-in-pytorch-and-tensorflow-cb03cdcdbaof

GANs: Loss Functions



[Goodfellow et al. 14/16] GANs

DCGAN: Generator



DCGAN: https://github.com/carpedm20/DCGAN-teasorflow



Results on MNIST

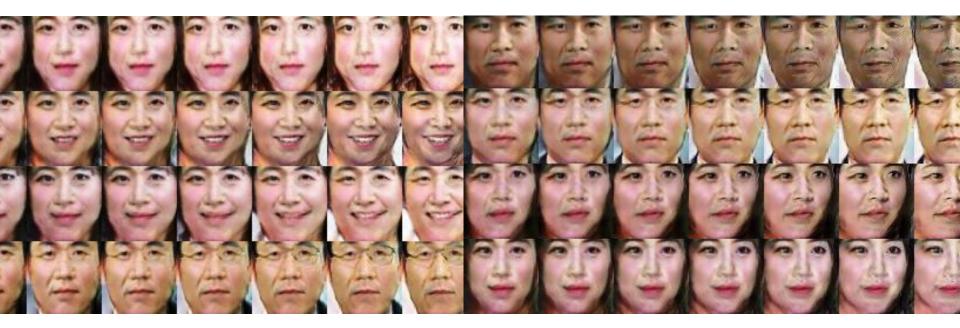
DCGAN: https://github.com/carpedm20/DCGAN-tensorflow



Results on CelebA (200k relatively well aligned portrait photos)

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DCGAN: https://github.com/carpedm20/DCGAN-tensorflow

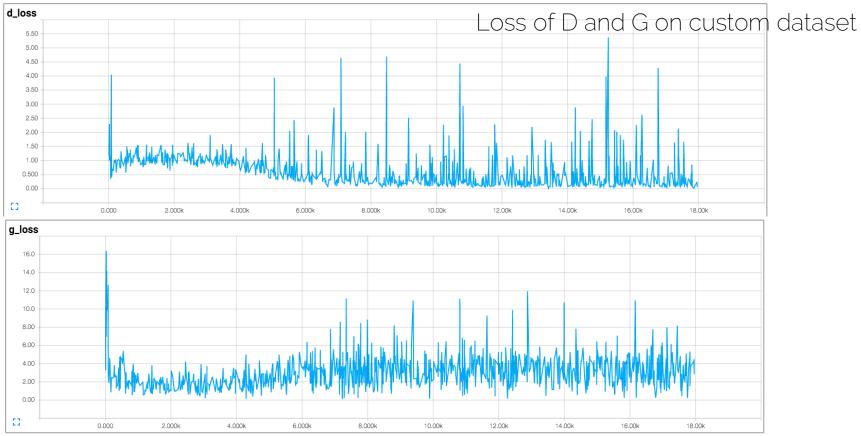


Asian face dataset

DCGAN: <u>https://github.com/carpedm20/DCGAN-tensorflow</u>

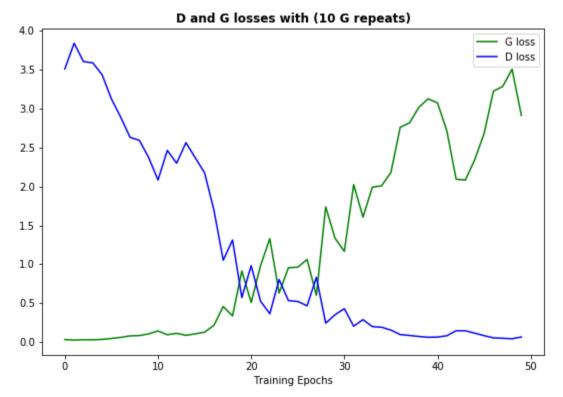






DCGAN: <u>https://github.com/carpedm20/DCGAN-tensgrflow</u>

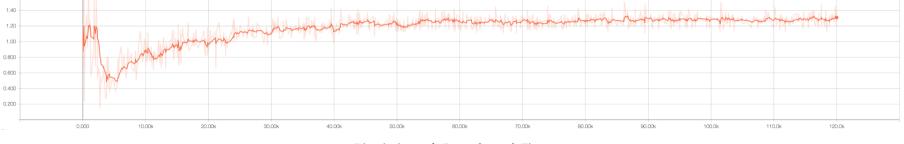
"Bad" Training Curves



https://stackoverflow.com/questions/44313306/dcgans-discriminator-getting-too-strong-too-guickly-to-allow-generator-to-learn

"Good" Training Curves

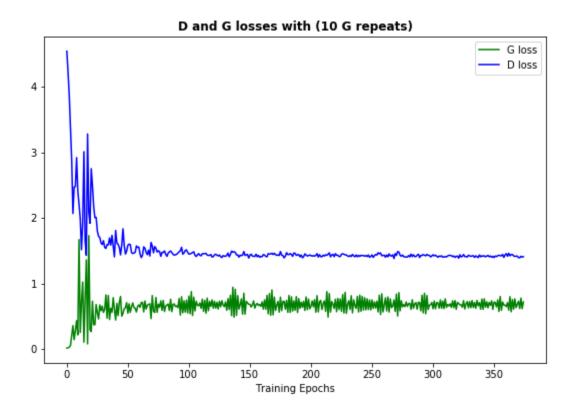




Discriminator's Error through Time

https://medium.com/ai-society/gans-from-scratch-1-a-deep-introduction-with-code-in-pytorch-and-tensorflow-cb03cdcdba0f

"Good" Training Curves



https://stackoverflow.com/guestions/42690721/how-to-interpret-the-discriminators-loss-and-the-generators-loss-in-generative

Training Schedules

• Adaptive schedules

For instance while loss_discriminator > t_d: train discriminator while loss_generator > t_g: train generator

Weak vs Strong Discriminator

• Need balance 🕲

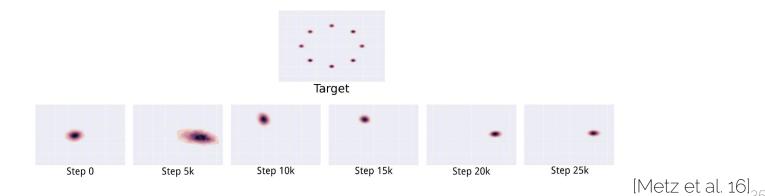
- Discriminator too weak?
 - No good gradients (cannot get better than teacher...)

- Generator too weak?
 - Discriminator will always be right

Mode Collapse

$\min_{G} \max_{D} V(G,D) \neq \max_{D} \min_{G} V(G,D)$

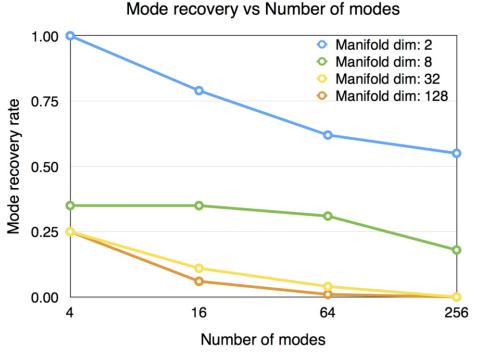
- *D* in inner loop -> convergence to correct dist.
- *G* in inner loop -> easy to convergence to one sample



Mode Collapse

- Same data dimension
- Performance correlates with dim of manifold
- Performance correlates with # of modes

-> More modes, smaller recovery rate! -> part of the reason, why we often see GAN-results on specific domains (e.g., faces)

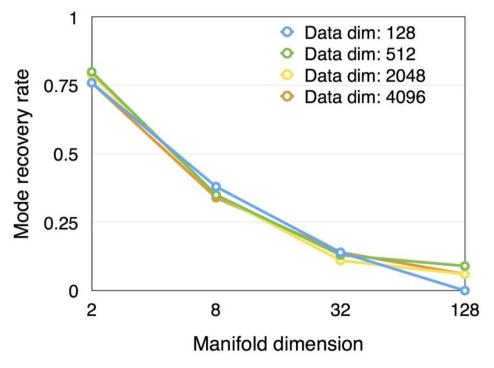


Mode Collapse

- Same # of modes
- Performance correlates with dim of manifold
- Performance noncorrelated with data dimensions

-> Larger latent space, more mode collapse

Mode recovery vs manifold dimension



Slide credit Ming-Yu Liu37

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Problems with Global Structure





(Coodfellow 2016)

Problems with Counting













(Goodfellow 2016)

- Main difficulty of GANs: we don't know how good they are
- People cherry pick results in papers -> some of them will always look good, but how to quantify?
- Do we only memorize, or do we generalize?
- GANs are difficult to evaluate! [This et al., ICLR 2016]

- Human evaluation:
 - Every n updates, show a series of predictions
 - Check train curves
 - What does 'look good' mean at the beginning?
 - Need variety!
 - But don't have 'realistic' predictions yet...
 - If it doesn't look good? Go back, try different hyperparameters...

- Inception Score (IS)
 - Measures saliency and diversity

- Train an accurate classifier
- Train an image generation model (conditional)
- Check how accurate the classifier can recognize the generated images
- Makes some assumptions about data distributions...

• Inception Score (IS)

 Saliency: check whether the generated images can be classified with high confidence (i.e., high scores only on a single class)

 Diversity: check whether we obtain samples from all classes

What if we only have one good image per class?

- Frechet Inception Distance (FID)
 - Calculates the feature distance between the real and synthetic distribution (modelled by multivariate Gaussian)
 - Pros:
 - More robust to noise then IS
 - No class concept needs
 - Cons:
 - Still relies on pretrained Inception-V3 model features

- Could also look at discriminator
 - If we end up with a strong discriminator, then generator must also be good

- Use D features, for classification network
- Only fine-tune last layer
- If high class accuracy -> we have a good D and G

Next: Making GANs Work in Practice

• Training / Hyperparameters (most important)

• Choice of loss function

• Choice of architecture

GAN Hacks: Normalize Inputs

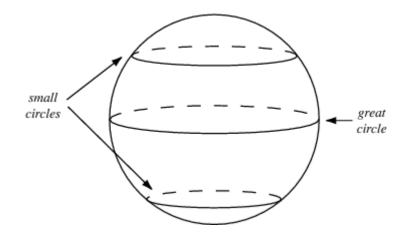
• Normalize the inputs between -1 and 1

• Tanh as the last layer of the generator output

• No-brainer 🕲

GAN Hacks: Sampling

- Use a spherical z
- Don't sample from a uniform distribution
- Sample from a Gaussian Distribution



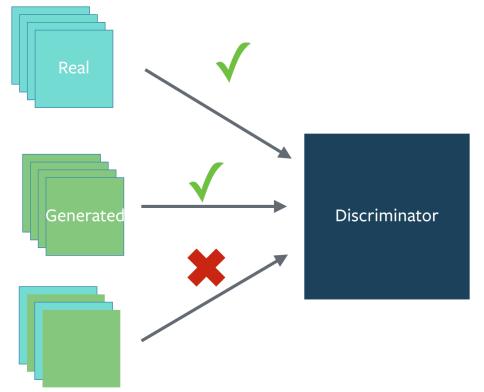
• When doing interpolations, do the interpolation via a great circle, rather than a straight line from point A to point B

• Tom White's <u>Sampling Generative</u> <u>Networks</u> ref code <u>https://github.com/dribnet/plat</u> has more details

GAN Hacks: BatchNorm

Use Batch Norm

 Construct different minibatches for real and fake, i.e. each mini-batch needs to contain only all real images or all generated images.



GAN Hacks: Use ADAM

• See Adam usage [Radford et al. 15]

• SGD for discriminator

• ADAM for generator

GAN Hacks: One-sided Label Smoothing

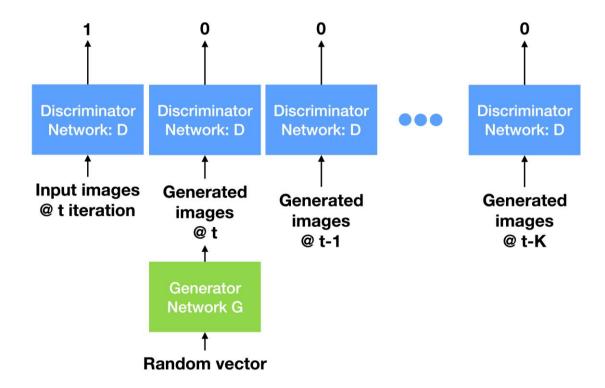
• Prevent discriminator from giving too large gradient signal to generator:

$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right)$$

Some value smaller than 1; e.g.,0.9

-> reduces confidence; i.e., makes disc. 'weaker' -> encourages 'extreme samples' (prevents extrapolating)

GAN Hacks: Historical Generator Batches

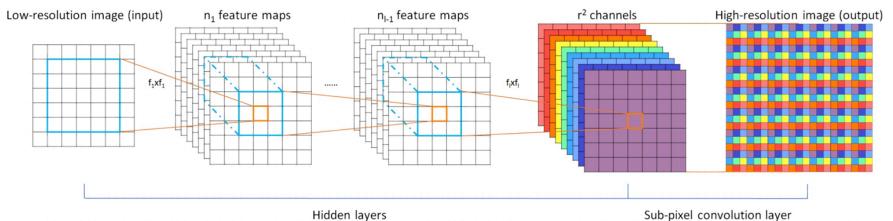


Help stabilize discriminator training in early stage

Srivastava et al. 17 "Learning from Simulated and Unsupervised Images through Adversarial Training"53

GAN Hacks: Avoid Sparse Gradients

- Stability of GAN game suffers if gradients are sparse
- LeakyReLU -> good in both G and D
- Downsample -> use average pool, conv+stride
- Upsample -> upconv+stride, PixelShuffle



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[Shi et al. 16] https://arxiv.org/pdf/1609.05158.pdf

Exponential Averaging of Weights

• Problem: discriminator is noisy due to SGD

- Rather than taking final result of a GAN, would be biased on last latest iterations (i.e., latest training samples),
- -> exponential average of weights
- -> keep second 'vector' of weights that are averaged
 -> almost no cost, average of weights from last n iters

Other Objective Functions

"heuristic is standard..."

GAN	DISCRIMINATOR LOSS	Generator Loss
MM GAN	$\mathcal{L}_{\mathrm{D}}^{\mathrm{GAN}} = -\mathbb{E}_{x \sim p_{d}}[\log(D(x))] - \mathbb{E}_{\hat{x} \sim p_{g}}[\log(1 - D(\hat{x}))]$	$\mathcal{L}_{\mathrm{G}}^{\mathrm{GAN}} = \mathbb{E}_{\hat{x} \sim p_{g}}[\log(1 - D(\hat{x}))]$
NS GAN	$\mathcal{L}_{\mathrm{D}}^{\mathrm{NSGAN}} = -\mathbb{E}_{x \sim p_{d}}[\log(D(x))] - \mathbb{E}_{\hat{x} \sim p_{g}}[\log(1 - D(\hat{x}))]$	$\mathcal{L}_{\mathrm{G}}^{\mathrm{NSGAN}} = -\mathbb{E}_{\hat{x} \sim p_{g}}[\log(D(\hat{x}))]$
WGAN	$\mathcal{L}_{\mathrm{D}}^{\mathrm{WGAN}} = -\mathbb{E}_{x \sim p_{d}}[D(x)] + \mathbb{E}_{\hat{x} \sim p_{g}}[D(\hat{x})]$	$\mathcal{L}_{\mathrm{G}}^{\scriptscriptstyle\mathrm{WGAN}} = -\mathbb{E}_{\hat{x}\sim p_{g}}\left[D(\hat{x}) ight]$
WGAN GP	$\mathcal{L}_{\mathrm{D}}^{\mathrm{WGANGP}} = \mathcal{L}_{\mathrm{D}}^{\mathrm{WGAN}} + \lambda \mathbb{E}_{\hat{x} \sim p_{g}} [(\nabla D(\alpha x + (1 - \alpha \hat{x}) _{2} - 1)^{2}]$	$\mathcal{L}_{ ext{G}}^{ ext{WGANGP}} = - \mathbb{E}_{\hat{x} \sim p_{ ext{g}}} \left[D(\hat{x}) ight]$
LS GAN	$\mathcal{L}_{\rm D}^{\rm LSGAN} = -\mathbb{E}_{x \sim p_d} [(D(x) - 1)^2] + \mathbb{E}_{\hat{x} \sim p_g} [D(\hat{x})^2]$	$\mathcal{L}_{\rm G}^{\rm LSGAN} = -\mathbb{E}_{\hat{x} \sim p_g} \left[(D(\hat{x}-1))^2 \right]$
DRAGAN	$\mathcal{L}_{\mathrm{D}}^{\mathrm{DRAGAN}} = \mathcal{L}_{\mathrm{D}}^{\mathrm{GAN}} + \lambda \mathbb{E}_{\hat{x} \sim p_d} + \mathcal{N}(0,c) [(\nabla D(\hat{x}) _2 - 1)^2]$	$\mathcal{L}_{\rm G}^{\rm DRAGAN} = \mathbb{E}_{\hat{x} \sim p_g} \left[\log(1 - D(\hat{x})) \right]$
BEGAN	$\mathcal{L}_{\mathrm{D}}^{\mathrm{BEGAN}} = \mathbb{E}_{x \sim p_d}[x - \mathrm{AE}(x) _1] - k_t \mathbb{E}_{\hat{x} \sim p_g}[\hat{x} - \mathrm{AE}(\hat{x}) _1]$	$\mathcal{L}_{\mathrm{G}}^{\mathrm{began}} = \mathbb{E}_{\hat{x} \sim p_{g}}[\hat{x} - \mathrm{AE}(\hat{x}) _{1}]$

Other Objective Functions

"heuristic is standard..."

NS GAN $\mathcal{L}_{D}^{NSGAN} = -\mathbb{E}_{x \sim p_d} [\log(D(x))] - \mathbb{E}_{\hat{x} \sim p_g} [\log(1 - D(\hat{x}))] \mathcal{L}_{G}^{NSGAN}$	$= \mathbb{E}_{\hat{x} \sim p_g} [\log(1 - D(\hat{x}))]$ $^{N} = -\mathbb{E}_{\hat{x} \sim p_g} [\log(D(\hat{x}))]$
	$\mathbf{N} = -\mathbb{E}_{\hat{x} \sim \mathcal{D}_{\mathbf{x}}} \left[\log(D(\hat{x})) \right]$
	$-x^{-y}g[-8(-(-))]$
WGAN $\mathcal{L}_{D}^{WGAN} = -\mathbb{E}_{x \sim p_d}[D(x)] + \mathbb{E}_{\hat{x} \sim p_g}[D(\hat{x})]$ \mathcal{L}_{G}^{WGAN}	$\mathbf{x} = -\mathbb{E}_{\hat{x} \sim p_g}[D(\hat{x})]$
WGAN GP $\mathcal{L}_{D}^{WGANGP} = \mathcal{L}_{D}^{WGAN} + \lambda \mathbb{E}_{\hat{x} \sim p_{g}}[(\nabla D(\alpha x + (1 - \alpha \hat{x}) _{2} - 1)^{2}] \mathcal{L}_{G}^{WGAN}$	$\mathbb{E}_{\hat{x} \sim p_g}[D(\hat{x})]$
LS GAN $\mathcal{L}_{D}^{LSGAN} = -\mathbb{E}_{x \sim p_d}[(D(x) - 1)^2] + \mathbb{E}_{\hat{x} \sim p_g}[D(\hat{x})^2]$ \mathcal{L}_{G}^{LSGAN}	${}^{N} = -\mathbb{E}_{\hat{x} \sim p_{g}}[(D(\hat{x}-1))^{2}]$
DRAGAN $\mathcal{L}_{D}^{DRAGAN} = \mathcal{L}_{D}^{GAN} + \lambda \mathbb{E}_{\hat{x} \sim p_d} + \mathcal{N}(0,c) [(\nabla D(\hat{x}) _2 - 1)^2] \qquad \mathcal{L}_{G}^{DRAGAN}$	${}^{\text{AN}} = \mathbb{E}_{\hat{x} \sim p_g} \left[\log(1 - D(\hat{x})) \right]$
BEGAN $\mathcal{L}_{D}^{BEGAN} = \mathbb{E}_{x \sim p_d}[x - AE(x) _1] - k_t \mathbb{E}_{\hat{x} \sim p_g}[\hat{x} - AE(\hat{x}) _1] \mathcal{L}_{G}^{BEGAN}$	$^{\mathrm{N}} = \mathbb{E}_{\hat{x} \sim p_{g}}[\hat{x} - \mathrm{AE}(\hat{x}) _{1}]$

The loss function alone will not make it suddenly work!

- Discriminator is AE (Energy-based GAN)
- a good autoencoder: we want the reconstruction cost
 D(x) for real images to be low.
- a good critic: we want to penalize the discriminator if the reconstruction error for generated images drops below a value m. $\mathcal{L}_D(x,z) = D(x) + [m - D(G(z))]^+$

$$\mathcal{L}_D(x,z) = D(x) + [m - D(G(z))]^+$$
$$\mathcal{L}_G(z) = D(G(z))$$

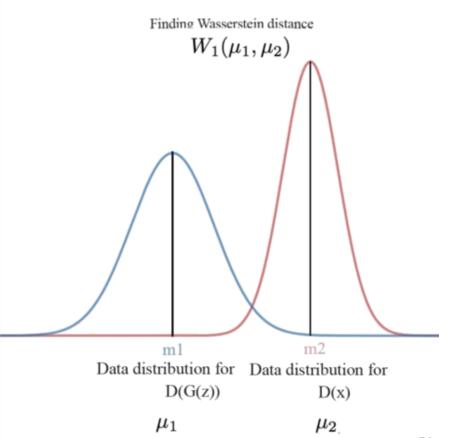
$$D(x) = ||Dec(Enc(x)) - x||$$

where
$$[u]^+ = max(0, u)$$

Prof. Niessner <u>https://medium.com/@jonathan_hui/gan-energy-based-gan-ebgan-boundary-equilibrium-gan-began-4662cceb7</u>824

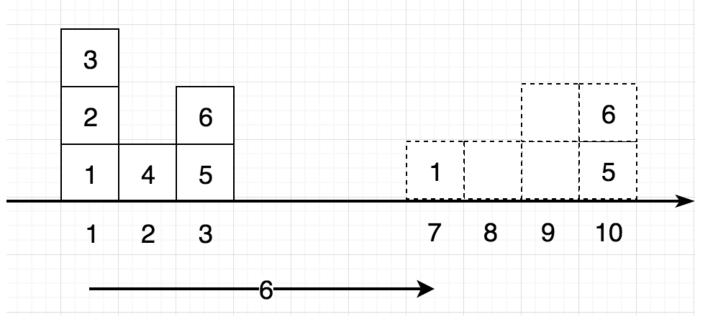
• Similar to EBGAN

 Instead of reconstruction loss, measure difference in data distribution of real and generated images



Prof. Niessner https://medium.com/@jonathan_hui/gan-energy-based-gan-ebgan-boundary-equilibrium-gan-began-4662cceb7824

• Earth Mover Distance / Wasserstein Distance



Minimum amount of work to move earth from p(x) to q(x)

• Formulate EMD via it's dual:

$$W(\mathbb{P}_r, \mathbb{P}_\theta) = \sup_{\|f\|_L \le 1} \mathbb{E}_{x \sim \mathbb{P}_r}[f(x)] - \mathbb{E}_{x \sim \mathbb{P}_\theta}[f(x)]$$

$$|f(x_1) - f(x_2)| \leq |x_1 - x_2|.$$

1-Lipschitz function: upper bound between densities

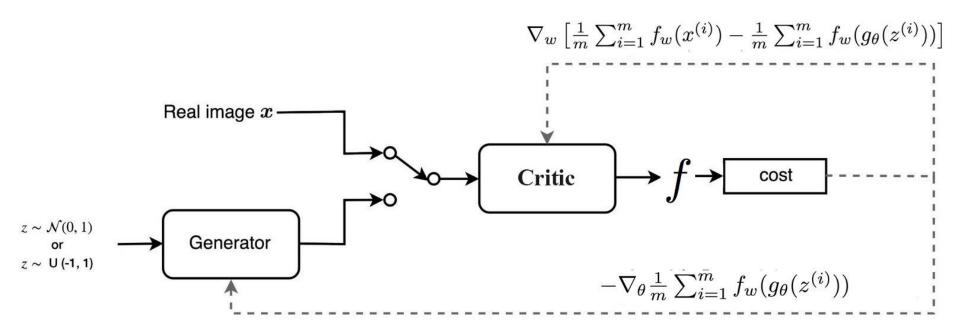
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$$|f(x_1)-f(x_2)|\leq |x_1-x_2|.$$

f is a critic function, defined by a neural network -> f needs to be 1-Lipschitz; WGAN restricts max weight value in f; weights of the discriminator must be within a certain range controlled by hyperparameters c

$$w \leftarrow w + \alpha \cdot \operatorname{RMSProp}(w, g_w)$$

 $w \leftarrow \operatorname{clip}(w, -c, c)$



Discriminator/Critic

Generator

$$\begin{aligned} \mathbf{GAN} & \nabla_{\theta_d} \frac{1}{m} \sum_{i=1}^m \left[\log D\left(\boldsymbol{x}^{(i)} \right) + \log \left(1 - D\left(G\left(\boldsymbol{z}^{(i)} \right) \right) \right) \right] & \nabla_{\theta_g} \frac{1}{m} \sum_{i=1}^m \log \left(D\left(G\left(\boldsymbol{z}^{(i)} \right) \right) \right) \\ \mathbf{WGAN} & \nabla_{w} \frac{1}{m} \sum_{i=1}^m \left[f\left(\boldsymbol{x}^{(i)} \right) - f\left(G\left(\boldsymbol{z}^{(i)} \right) \right) \right] & \nabla_{\theta} \frac{1}{m} \sum_{i=1}^m f\left(G\left(\boldsymbol{z}^{(i)} \right) \right) \end{aligned}$$

Prof. Niessner

Algorithm 1 WGAN, our proposed algorithm. All experiments in the paper used the default values $\alpha = 0.00005$, c = 0.01, m = 64, $n_{\text{critic}} = 5$.

Require: : α , the learning rate. c, the clipping parameter. m, the batch size. n_{critic} , the number of iterations of the critic per generator iteration. **Require:** : w_0 , initial critic parameters. θ_0 , initial generator's parameters.

1: while θ has not converged **do**

2: for
$$t = 0, ..., n_{\text{critic}}$$
 do

3: Sample
$$\{x^{(i)}\}_{i=1}^m \sim \mathbb{P}_r$$
 a batch from the real data.

4: Sample
$$\{z^{(i)}\}_{i=1}^m \sim p(z)$$
 a batch of prior samples.

5:
$$g_w \leftarrow \nabla_w \left[\frac{1}{m} \sum_{i=1}^m f_w(x^{(i)}) - \frac{1}{m} \sum_{i=1}^m f_w(g_\theta(z^{(i)})) \right]$$

$$b: \qquad w \leftarrow w + \alpha \cdot \mathrm{RMSProp}(w, g_w)$$

7:
$$w \leftarrow \operatorname{clip}(w, -c, c)$$

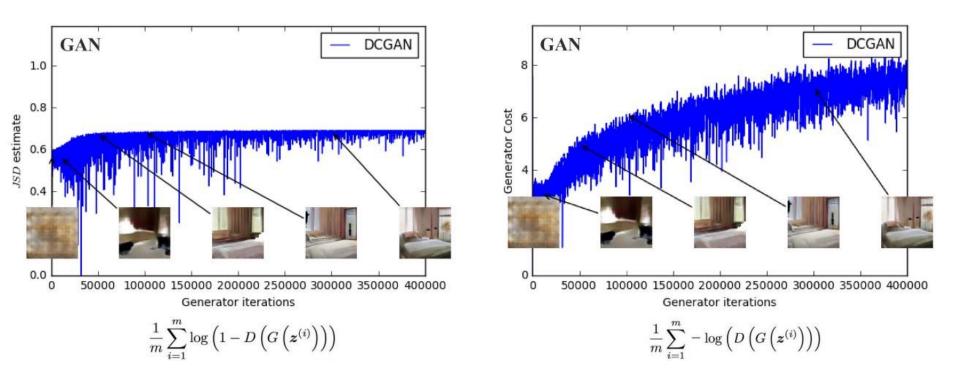
8: end for

9: Sample
$$\{z^{(i)}\}_{i=1}^m \sim p(z)$$
 a batch of prior samples.

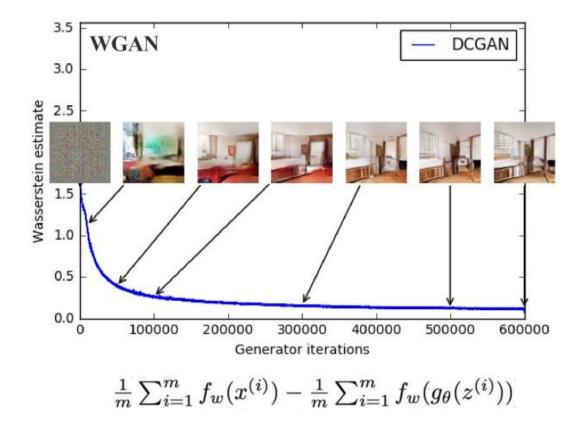
10:
$$g_{\theta} \leftarrow -\nabla_{\theta} \frac{1}{m} \sum_{i=1}^{m} f_w(g_{\theta}(z^{(i)}))$$

11:
$$\theta \leftarrow \theta - \alpha \cdot \text{RMSProp}(\theta, g_{\theta})$$

12: end while



GAN Losses: WGAN



- + mitigates mode collapse
- + generator still learns when critic performs well
- + actual convergence
- Enforcing Lipschitz constraint is difficult
- Weight clipping is "terrible"
 - -> too high: takes long time to reach limit; slow training
 -> too small: vanishing gradients when layers are big



• Many more variations!!!

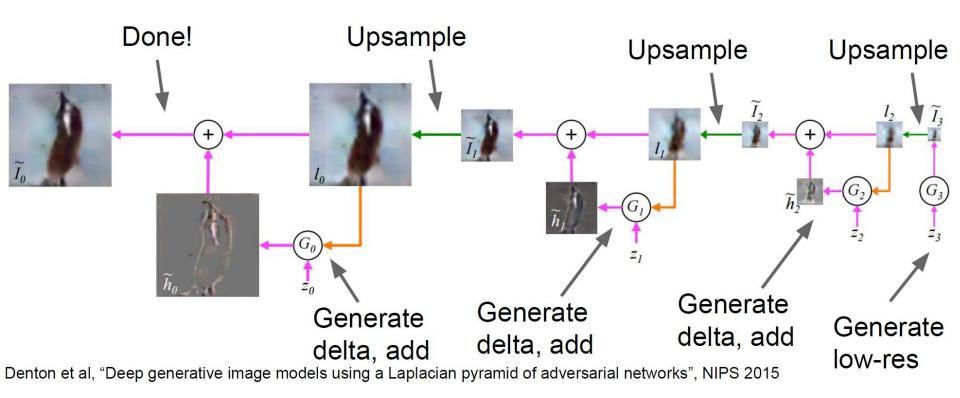
• High-level understanding: "loss" is a meta loss to train the actual loss (i.e., D) to provide gradients for G

• Always start simple: if things don't converge, don't randomly shuffle loss around; always try easy things first (AE, VAE, 'simple heuristic' GAN)

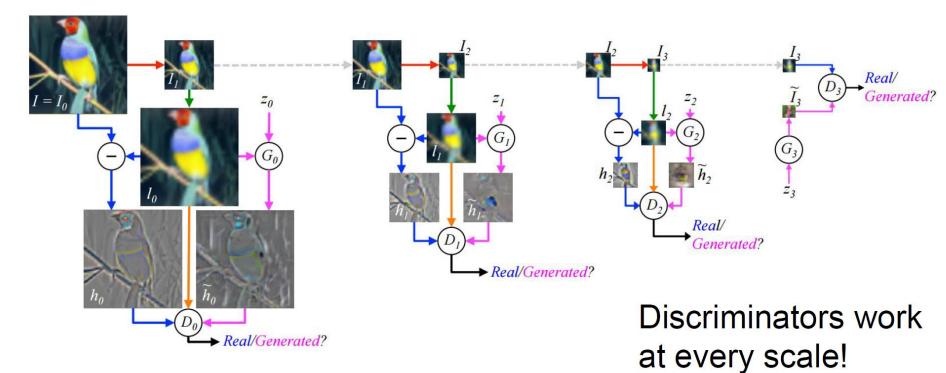


GAN Architectures

Multiscale GANs



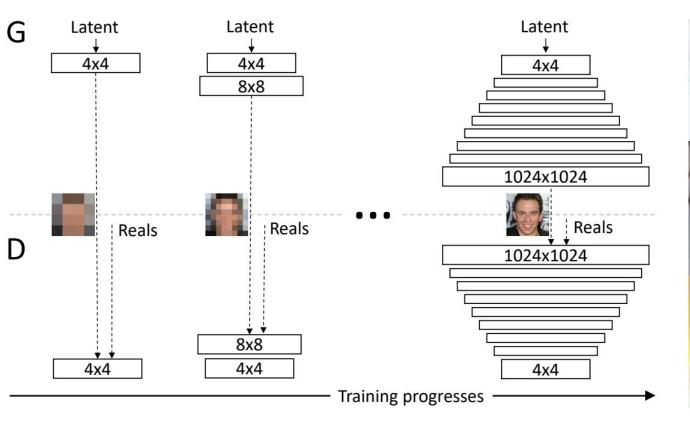
Multiscale GANs



Denton et al, NIPS 2015

Credit: Li/Karpatky/Johnson

Progressive Growing GANs





https://github.com/tkarras/progressive_growing_of_gans [Karras etal. 17]



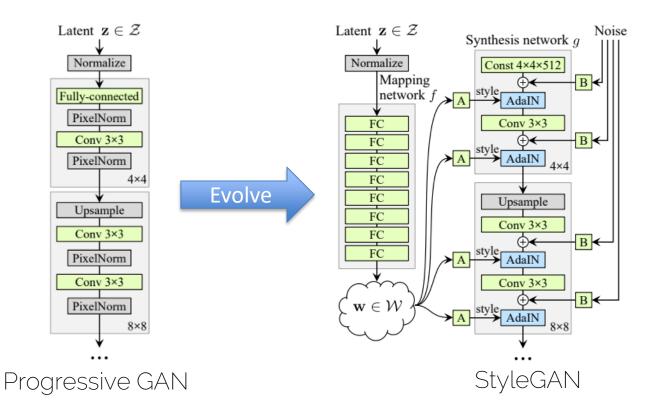
StyleGAN[x] Architectures

StyleGAN Architectures

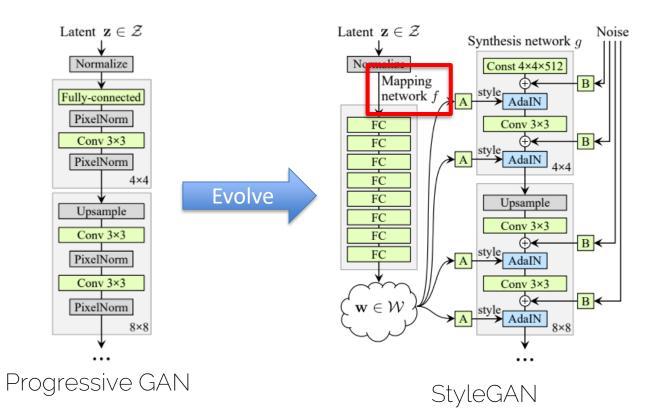
Latent $\mathbf{z} \in \mathcal{Z}$ Normalize Fully-connected PixelNorm Conv 3×3 PixelNorm 4×4 Upsample Conv 3×3 PixelNorm Conv 3×3 PixelNorm 8×8 ... Progressive GAN

Method	CelebA-HQ	FFHQ
A Baseline Progressive GAN [30]	7.79	8.04
B + Tuning (incl. bilinear up/down)	6.11	5.25
C + Add mapping and styles	5.34	4.85
D + Remove traditional input	5.07	4.88
E + Add noise inputs	5.06	4.42
F + Mixing regularization	5.17	4.40

StyleGAN[x] Architectures

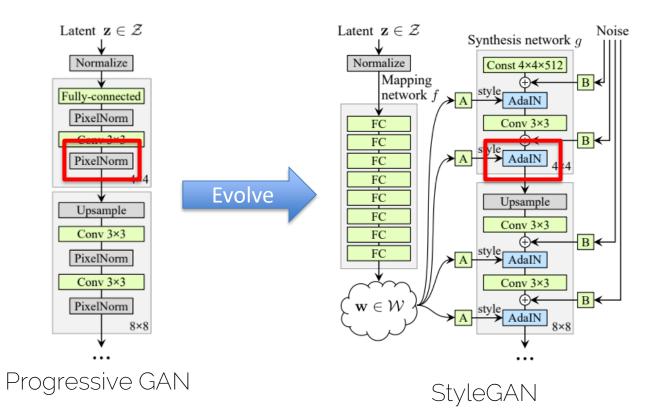


StyleGAN – Mapping Network

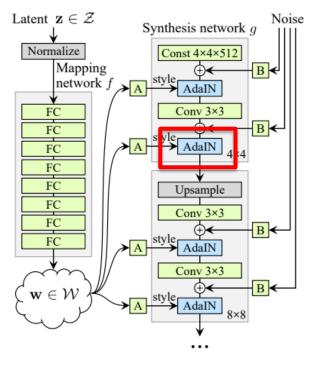


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StyleGAN – Style Normalization



StyleGAN – Style Normalization

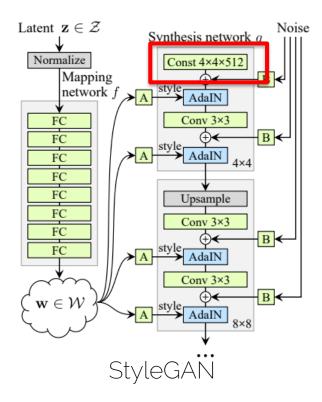


StyleGAN

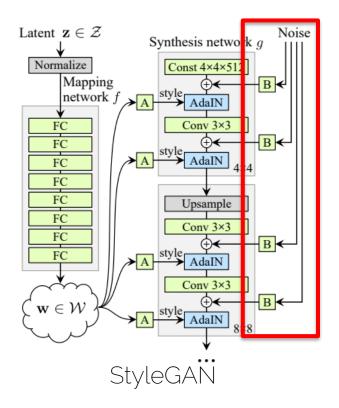
$$AdaIN(x,y) = \sigma(y)\left(\frac{x-\mu(x)}{\sigma(x)}\right) + \mu(y)$$

- 1. x: the activation from the previous layer
- 2. y: the style features (e.g. extracted from CNN) of your target style image
- 3. No trainable variables mean and var directly calculated

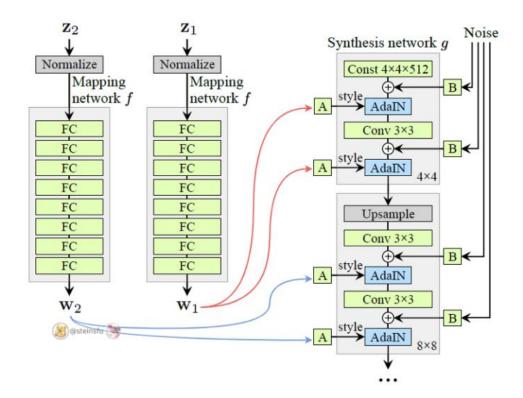
StyleGAN – Constant Input



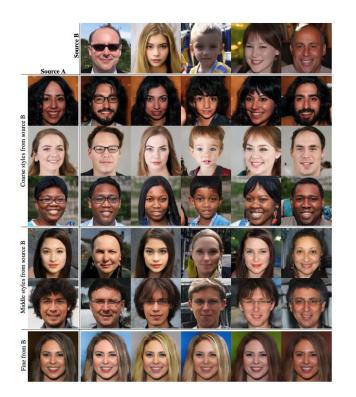
StyleGAN – Style Normalization

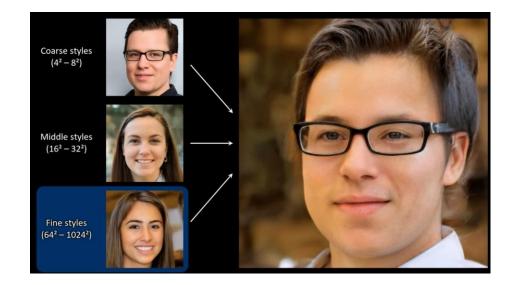


StyleGAN – Mixing Regularization



StyleGAN





StyleGAN2 – No Droplets

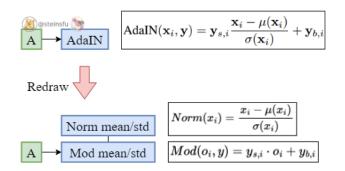
Baseline StyleGAN (config A)



$$AdaIN(x,y) = \sigma(y) \left(\frac{x - \mu(x)}{\sigma(x)}\right) + \mu(y)$$

Modulation

Without Normalization, the droplet artifact disappear

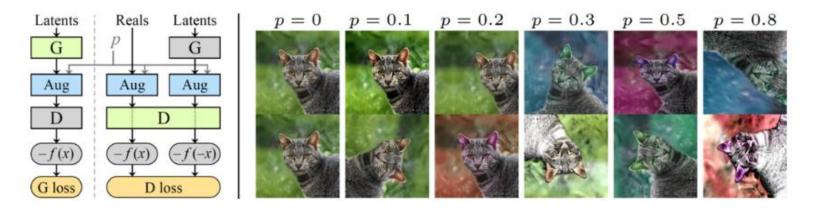


StyleGAN2 – Additional Changes

- Remove redundant operations
- Noise added outside of style area
- Normalization and modulation only applied on standard deviation
- Modulation and Convolution combined in single operation
- Training strategy changes, see: <u>https://github.com/NVlabs/st</u> <u>ylegan2</u>



StyleGAN2-ADA – Limited Data



The Discriminator latents are directly augmented with probability p.

Better for limited Data

No manual augmentation

Prof. Niessner

StyleGAN3 – No Aliasing



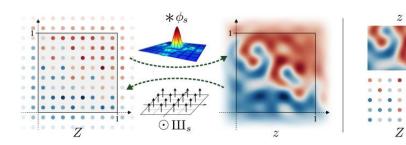
StyleGAN3 – No Aliasing

 $\sigma(z)$

No faithful

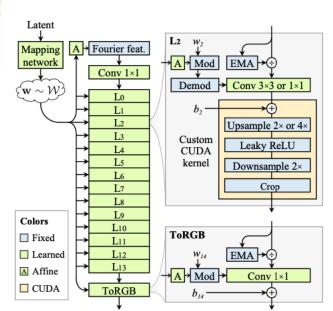
discretization

Z



Most Important differences:

- Input constant replaced with continuous Fourier feature
- Remove per pixel noise no positional references
- Smaller mapping network depth
- Better upsampling with updated approximations of the Fourier low pass filter



Reading Homework

- GANs [Goodfellow et al. 2014] Generative adversarial networks
 - <u>https://arxiv.org/abs/1406.2661</u>
- [Radford et al. 2015] Unsupervised representation learning with deep convolutional generative adversarial networks
 - <u>https://arxiv.org/abs/1511.06434</u>
- [Karras et al. 19] A style-based generator architecture for generative adversarial networks.
 - <u>https://arxiv.org/abs/1812.04948</u>



Thanks for watching!